

# micro-macro Mechanical Investigation of Soil Behavior

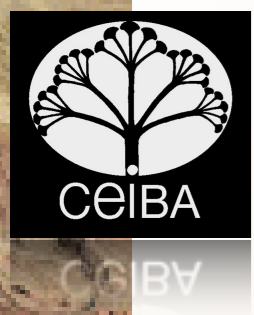
*CeiBA - TECHNE*

Nicolás ESTRADA

*Grupo de Investigación en Geotecnia*

*Universidad de los Andes*





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- (2) Some problems studied in the group
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# Motivation

Soil behavior can be described using different approaches

## (I) Continuum approach:

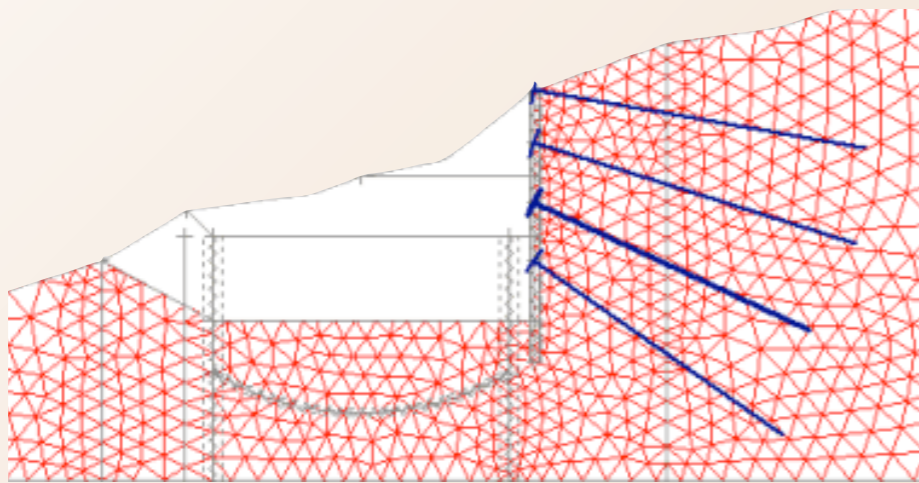


Image from: FINE - Civil Engineering Software - GEO5

- Practical for solving real problems
- The physical meaning of some variables is not always clear

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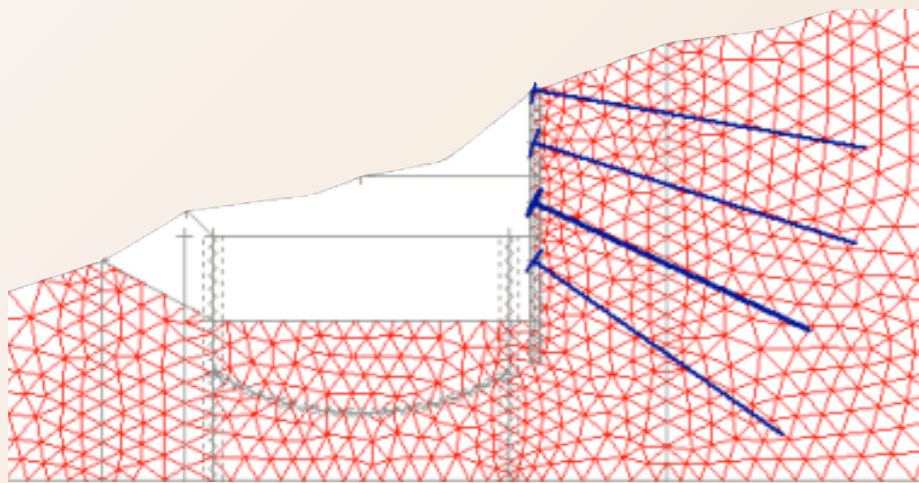
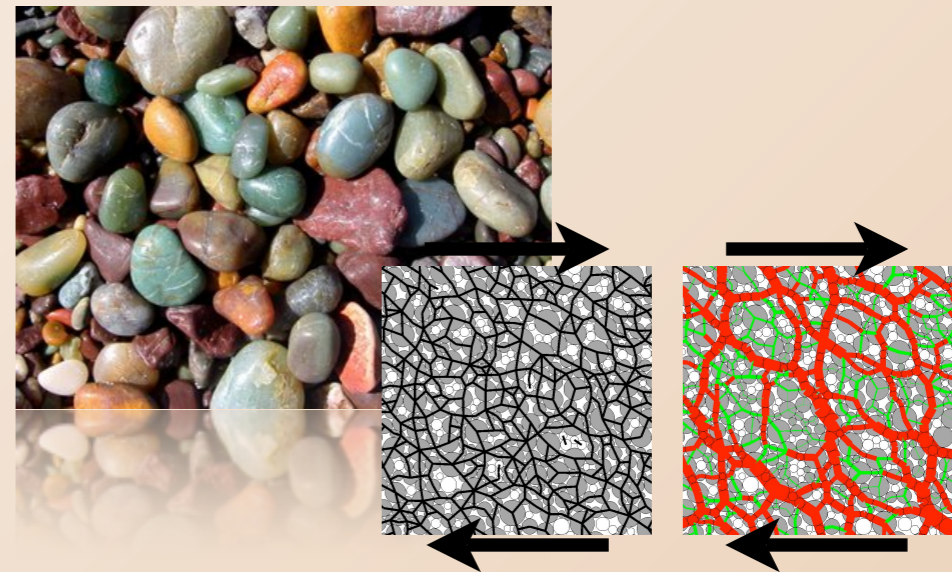


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- Practical for solving real problems
- The physical meaning of some variables is not always clear

## (2) An alternative and “tentative” approach: Granular matter



- Useful to understand what is happening at the grains scale
- The simulation of a problem with a realistic number of grains would be extremely time consuming

# Motivation

Soil behavior can be described using different approaches

(1) Continuum approach:

(2) An alternative and “tentative” approach: Granular matter

¡Soil mechanics is a domain where these two approaches complement each other!

Our main objective is to explore the connection between these two scales of observation

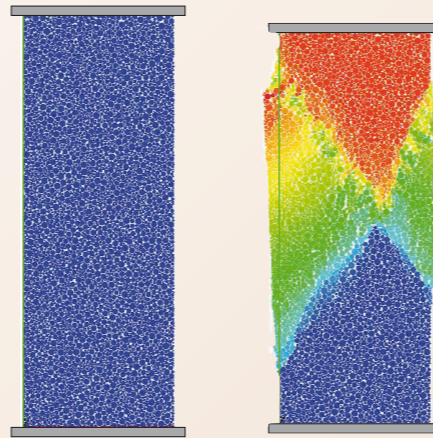
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happening at the grains scale

- The simulation of a problem with a realistic number of grains would be extremely time consuming

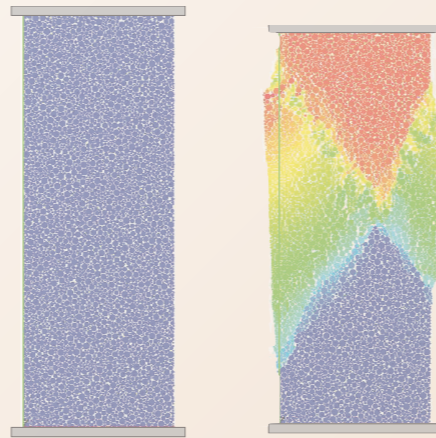
# Problems studied in the group

- Strain localization

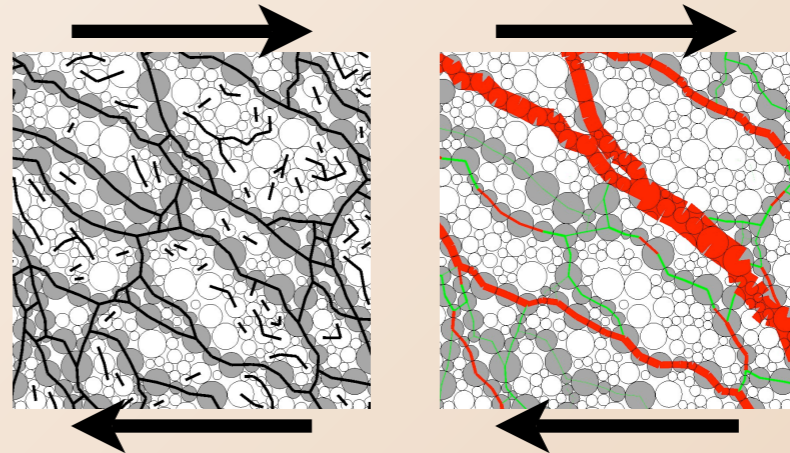


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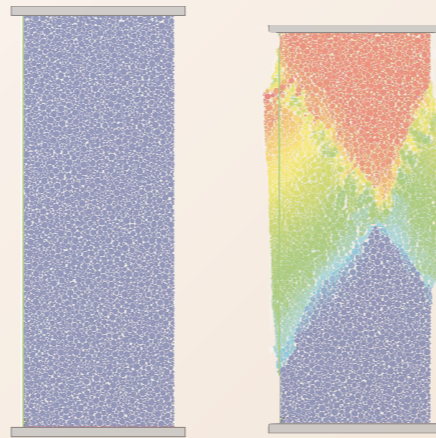


- Anisotropy in granular materials

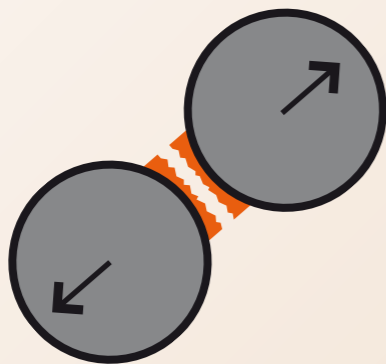
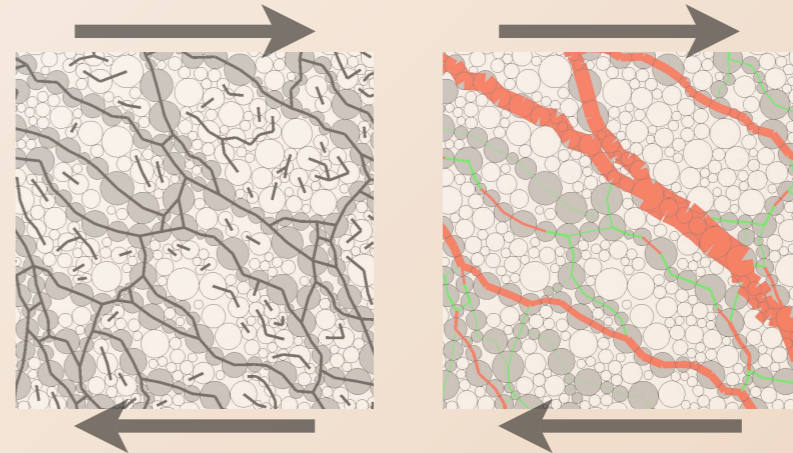


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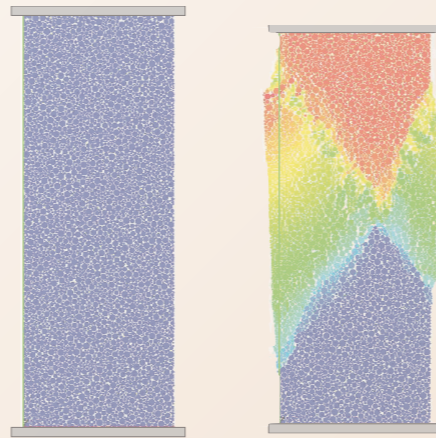
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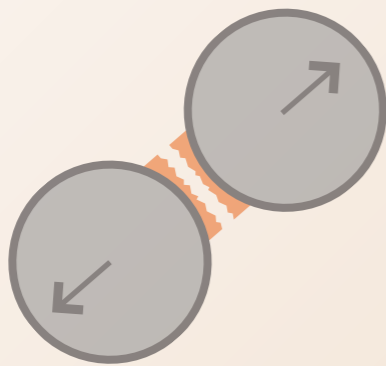
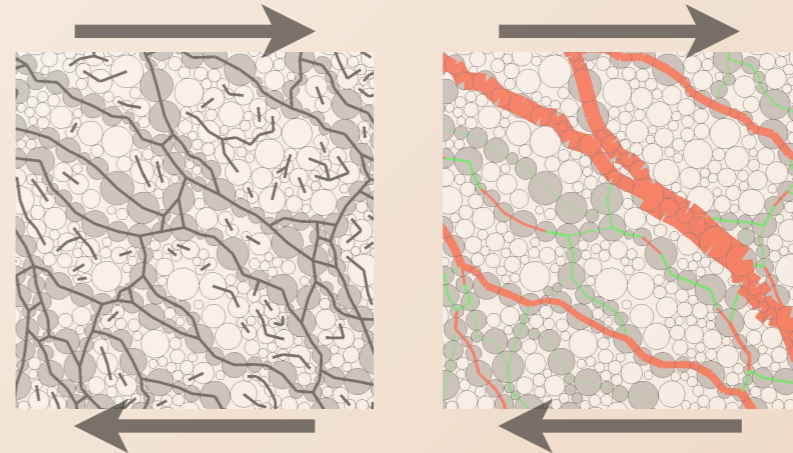
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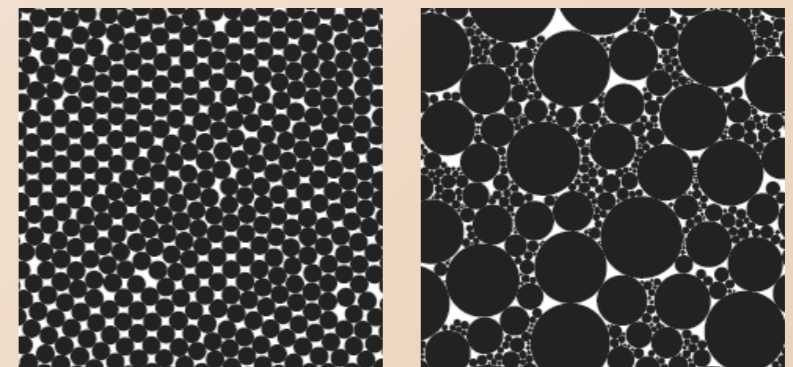


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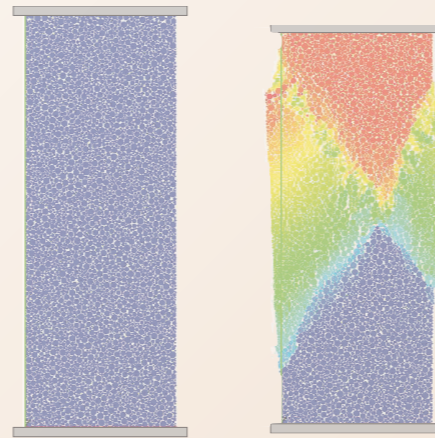
- Local force scales (capillarity, cementation, etc.)

- Grains size distribution (granulometry)

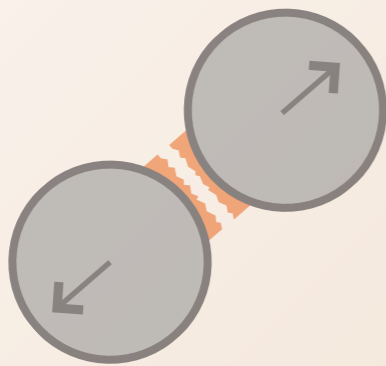
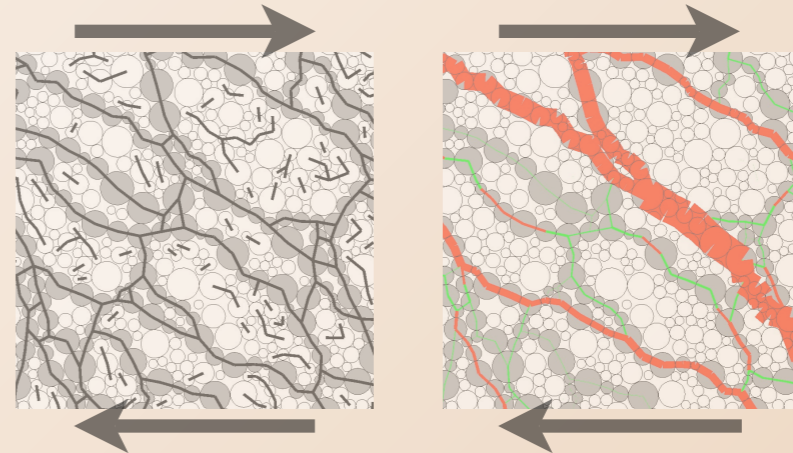


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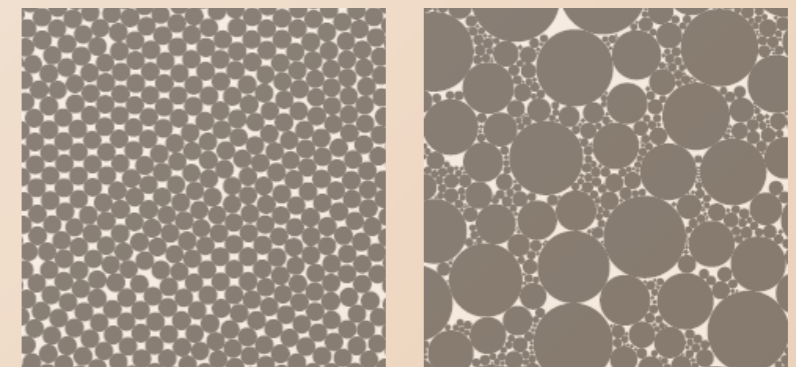


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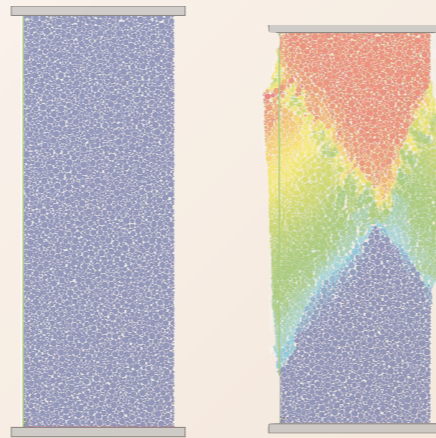
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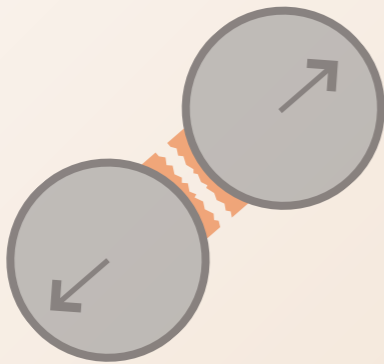
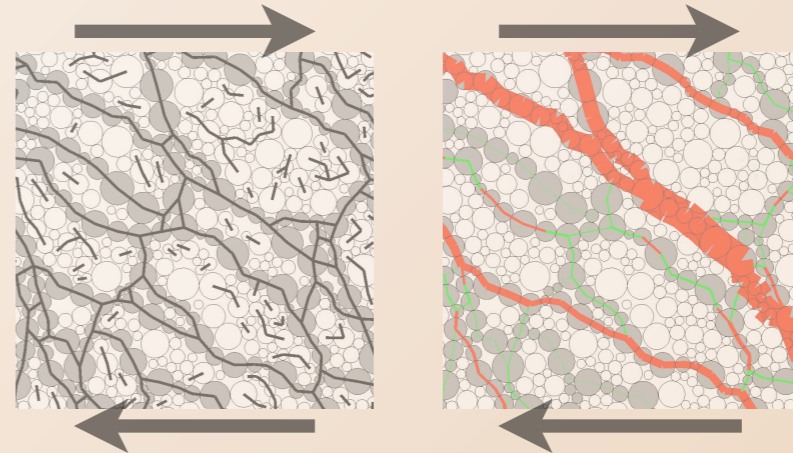
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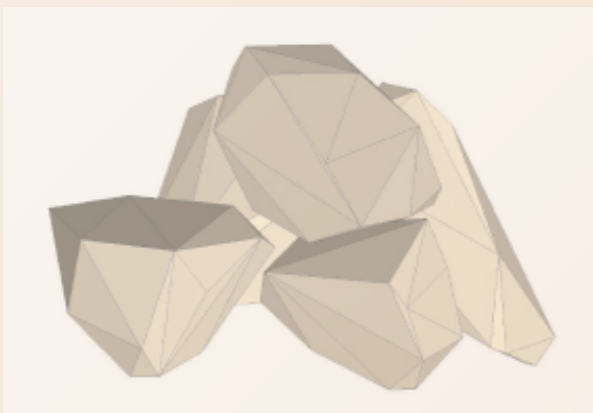
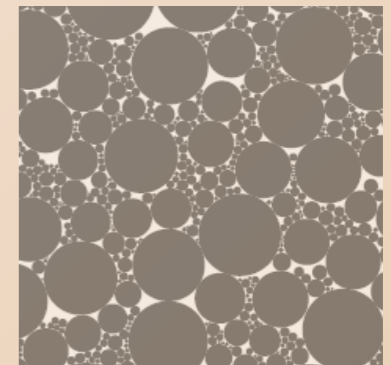
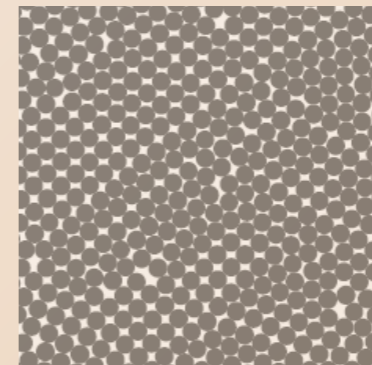


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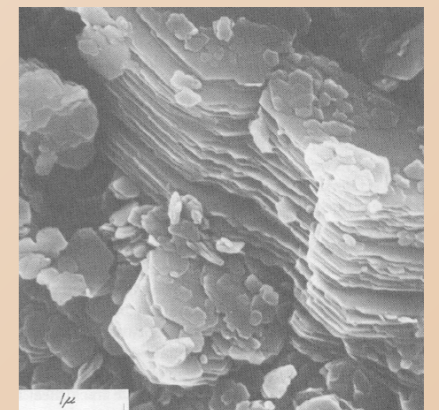
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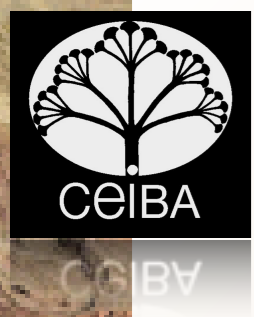
- Grains size distribution (granulometry)



- Effect of the grains shape

- Granular media composed of “small” particles (clays)





An example:

Yielding of cemented granular materials



Cementation is a  
common property  
among geomaterials:



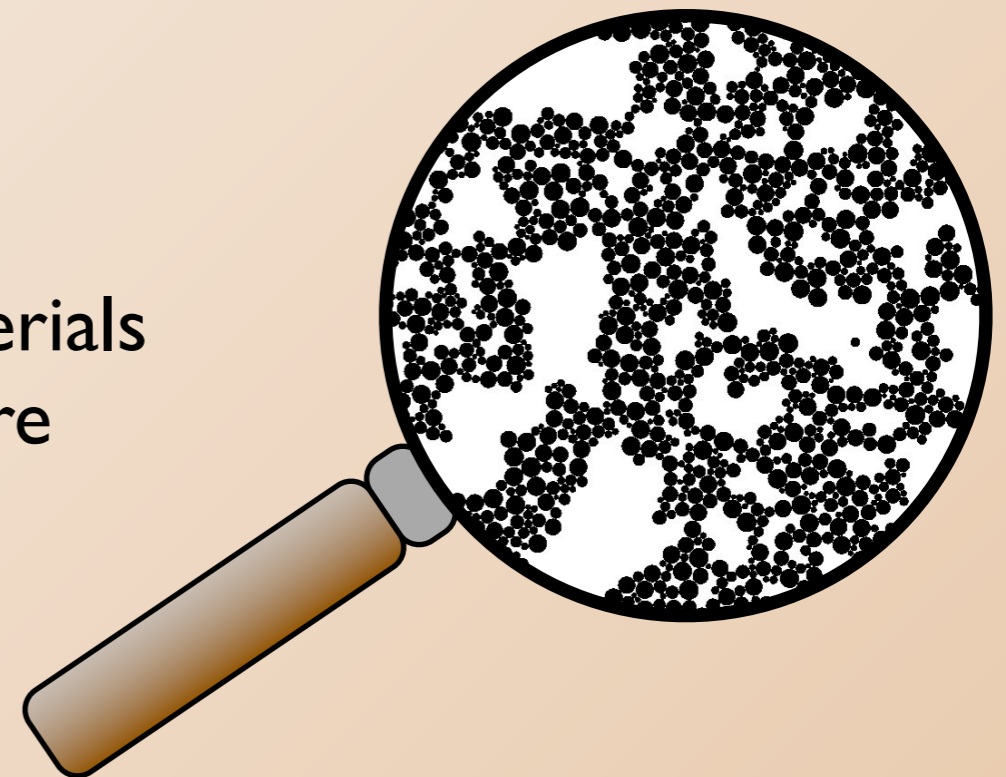
*Steep slopes in volcanic ash soils near Manizales*

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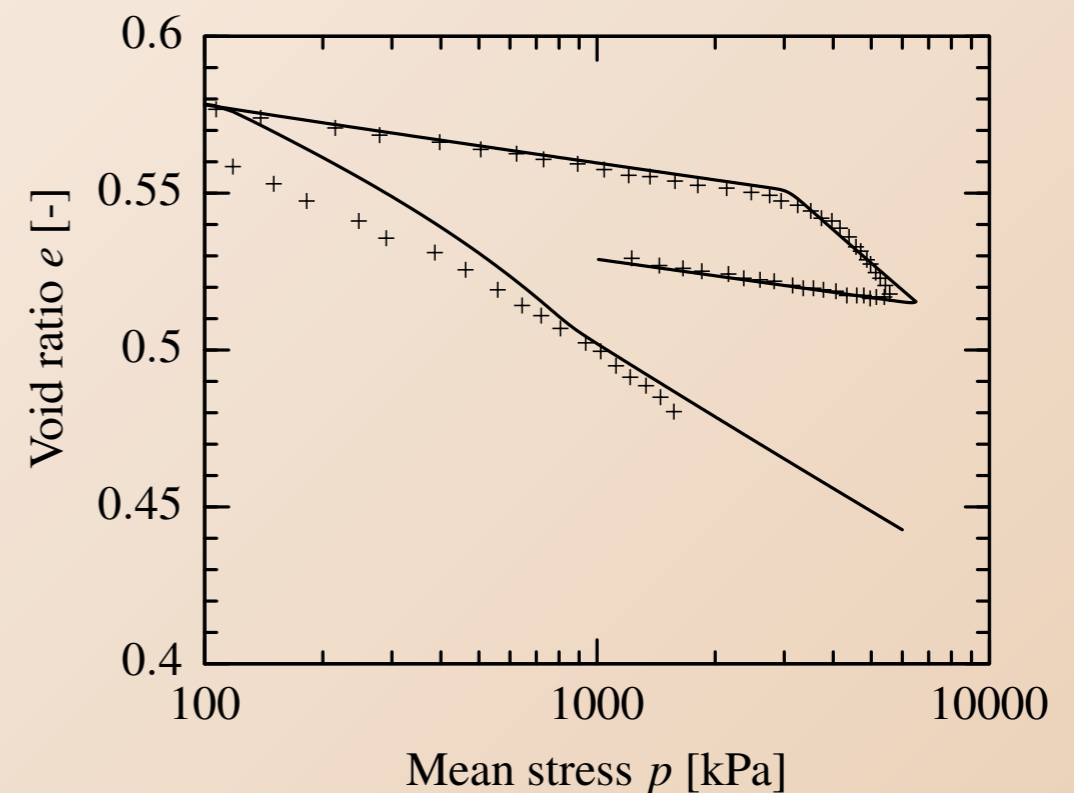
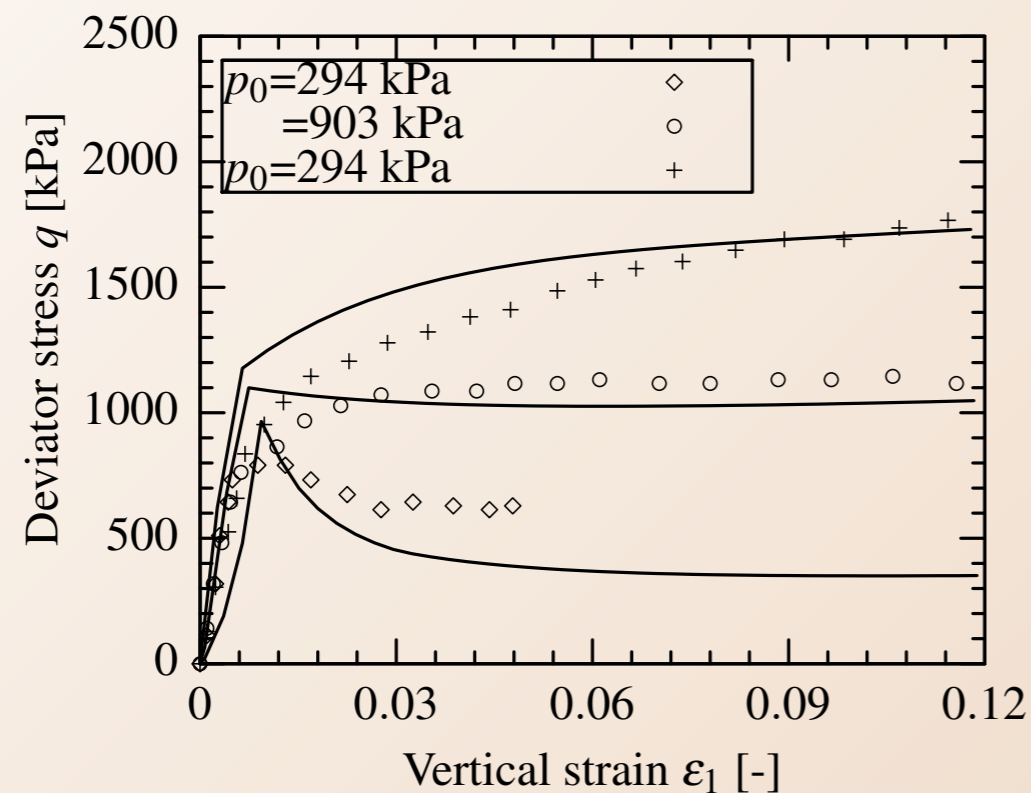


*Steep slopes in volcanic ash soils near Manizales*

The mechanical description of these materials  
is not a simple task → Soil structure



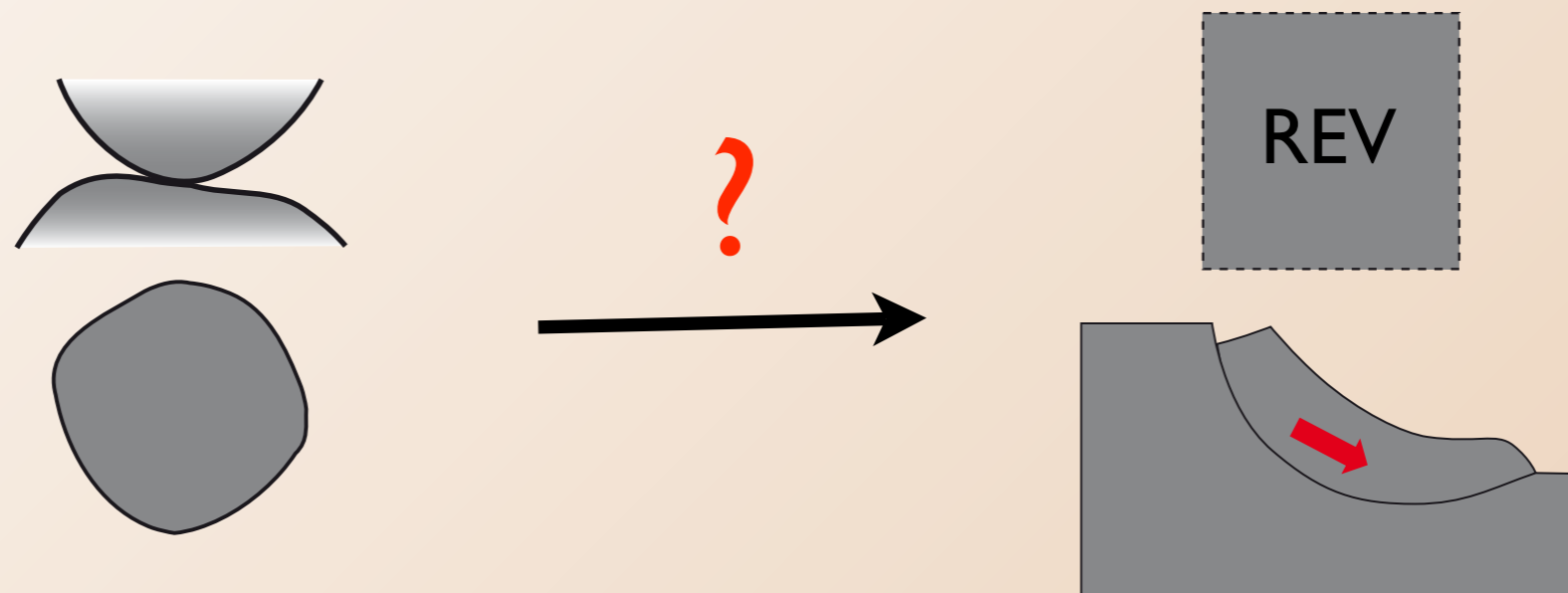
Several Macroscopic models exist:  
(Vatsala et al 2001, Nova et al 2003, CeiBA 2009, etc.)



$$\dot{\mathbf{T}} = f_b \hat{\mathbf{L}} : (\mathbf{D} - \mathbf{D}^v)$$

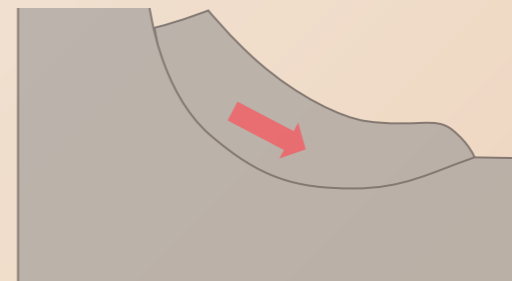
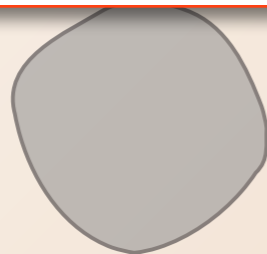
*Fuentes 2009, Simulation of a cemented granular soil using a modified Viscoplastic constitutive model*

However, little is known about what is really happening at the grains scale

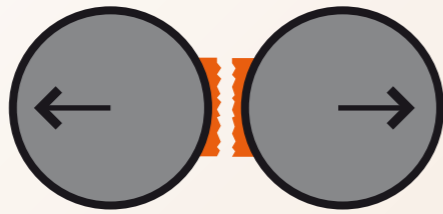


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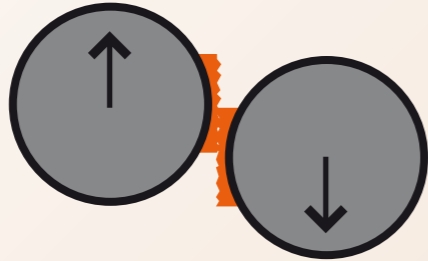
¡A privileged analysis tool: Discrete Element Methods!



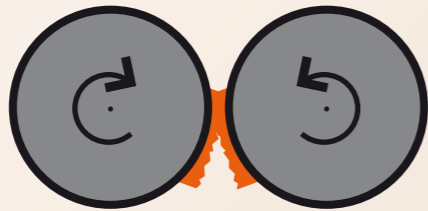
## Cementation model:



$$f_n \geq -f_a$$

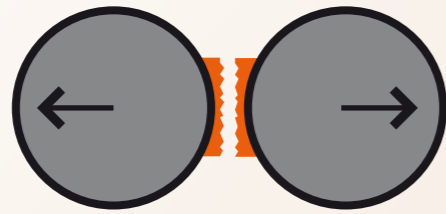


$$|f_t| \leq f_t^{max} \longrightarrow \text{(Coulomb's friction law)}$$

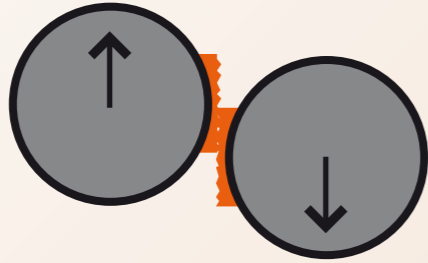


$$|M| \leq M^{max}$$

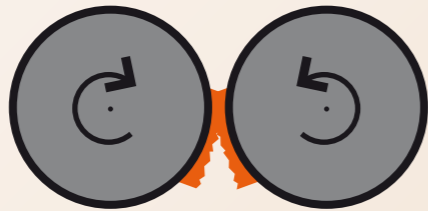
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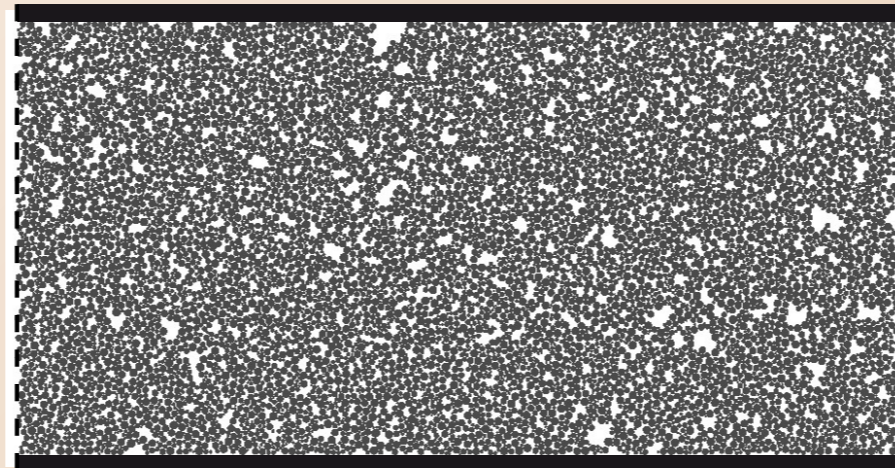
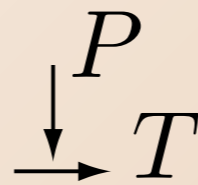


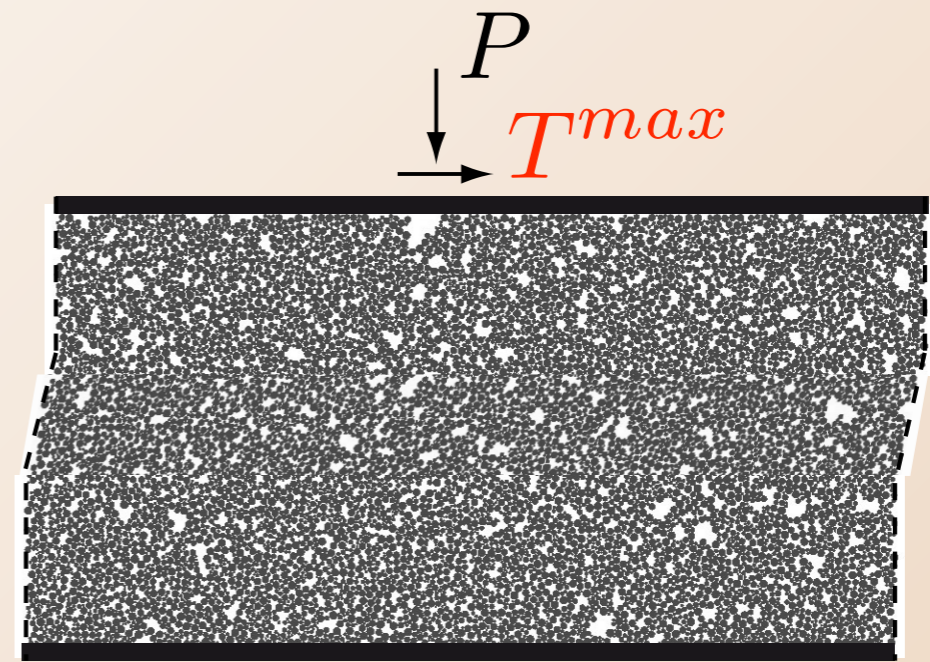
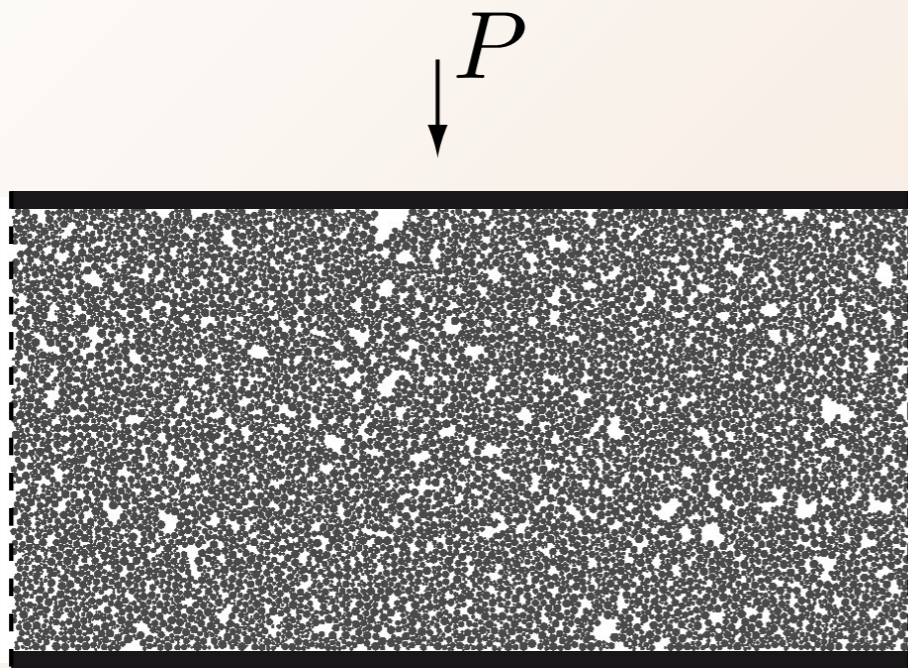
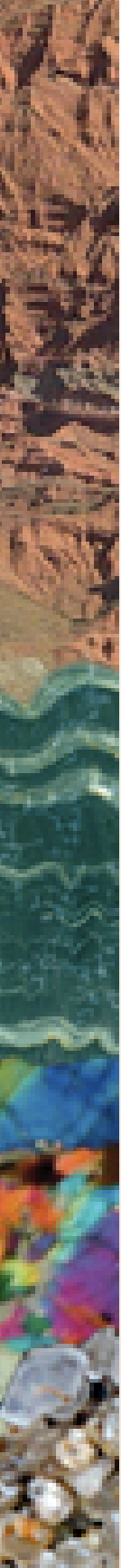
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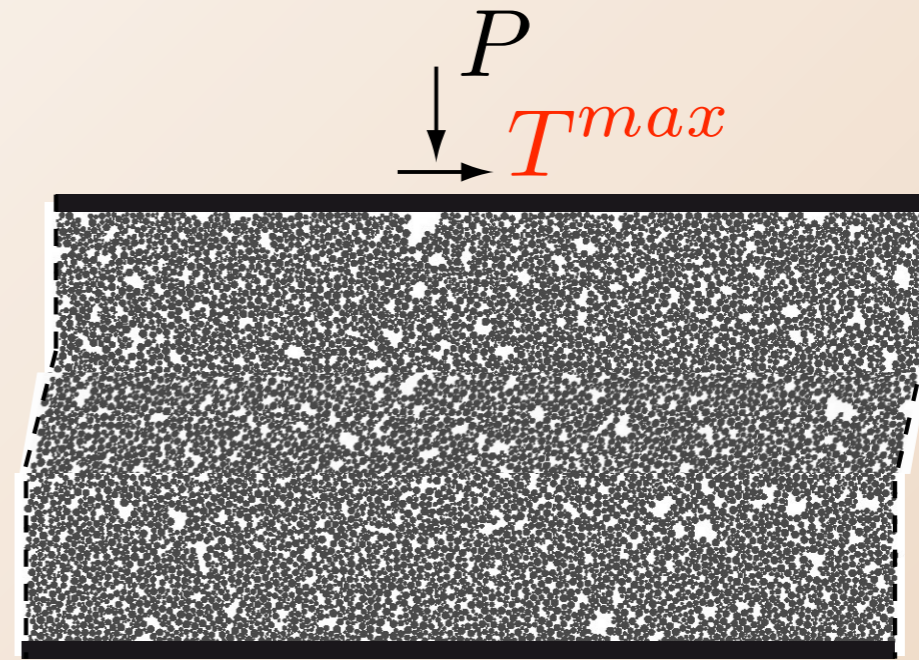
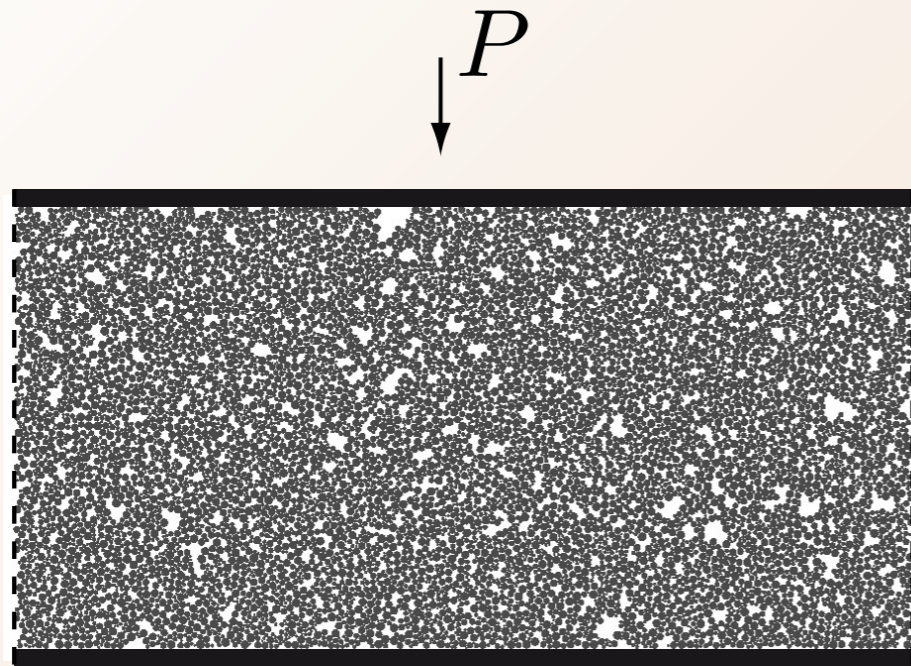


$$|M| \leq M^{max}$$

## Simple shear device:

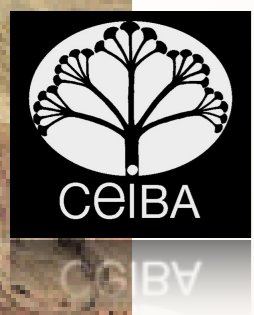






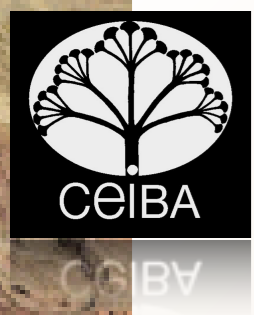
¿What are the micro-mechanical conditions that trigger yielding in this material?

➡ Yielding Precursors



It is useful to define three objects:

- Critical contacts
- Mobile particles
- Mobile regions

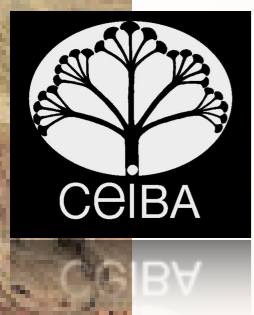


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Critical contacts:

$$f_n = -f_a \quad \text{or} \quad |f_t| = f_t^{max} \quad \text{or} \quad |M| = M^{max}$$



It is useful to define three objects:

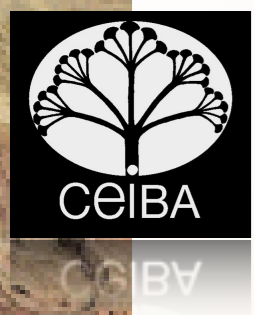
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Particles whose contacts are all critical contacts



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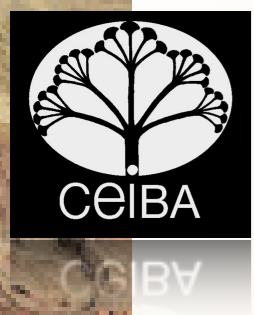
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Mobile particles:

Particles whose contacts are all critical contacts

Mobile regions:

Mobile particles + voids that surround them



It is useful to define three objects:

- Critical contacts
- Mobile particles
- Mobile regions

¡Mobile regions are zones where plastification is imminent!

Mobile particles:

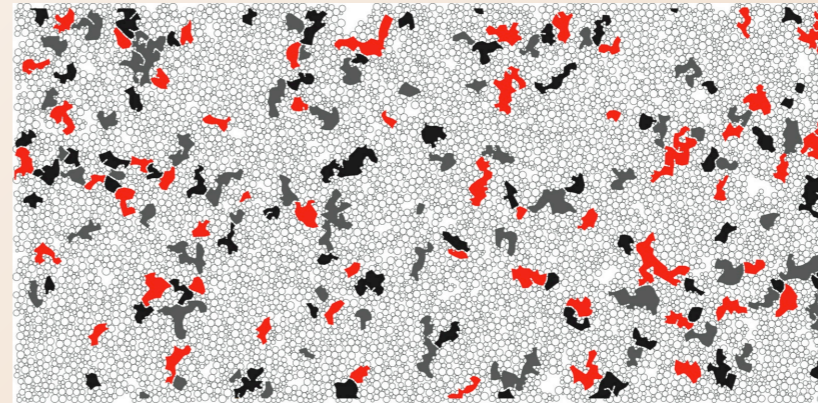
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Mobile regions:

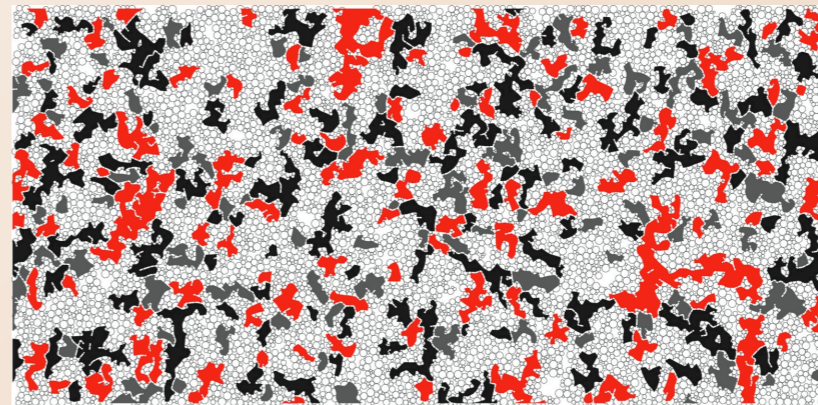
Mobile particles + voids that surround them

When increasing the load  $T$  from 0 to the yield condition  $T^{max}$

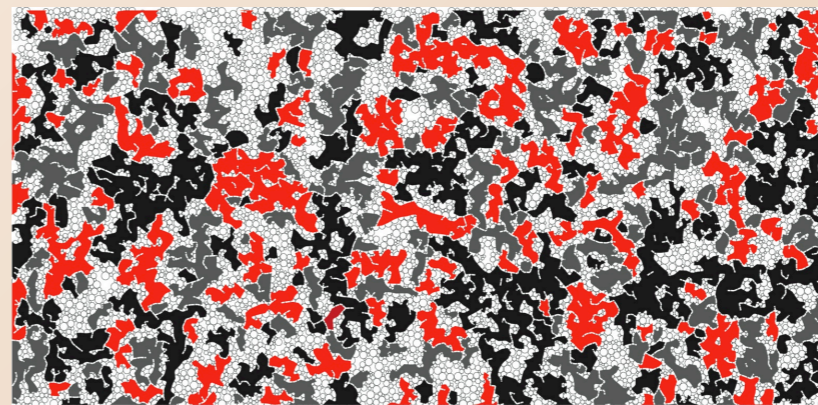
$$T = 0.25 T^{max}$$



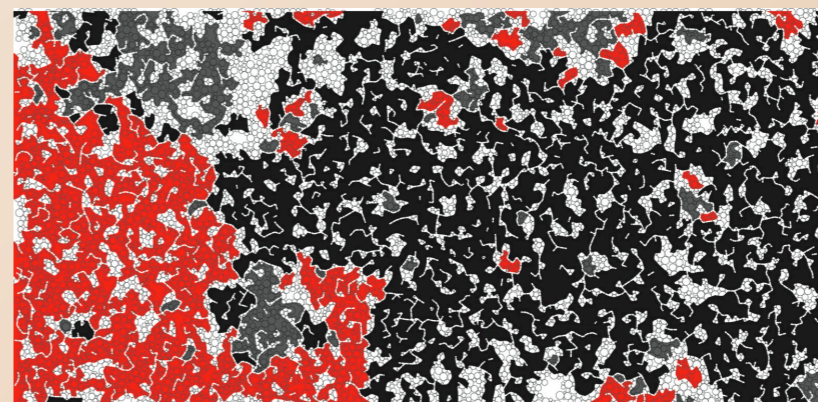
$$T = 0.5 T^{max}$$



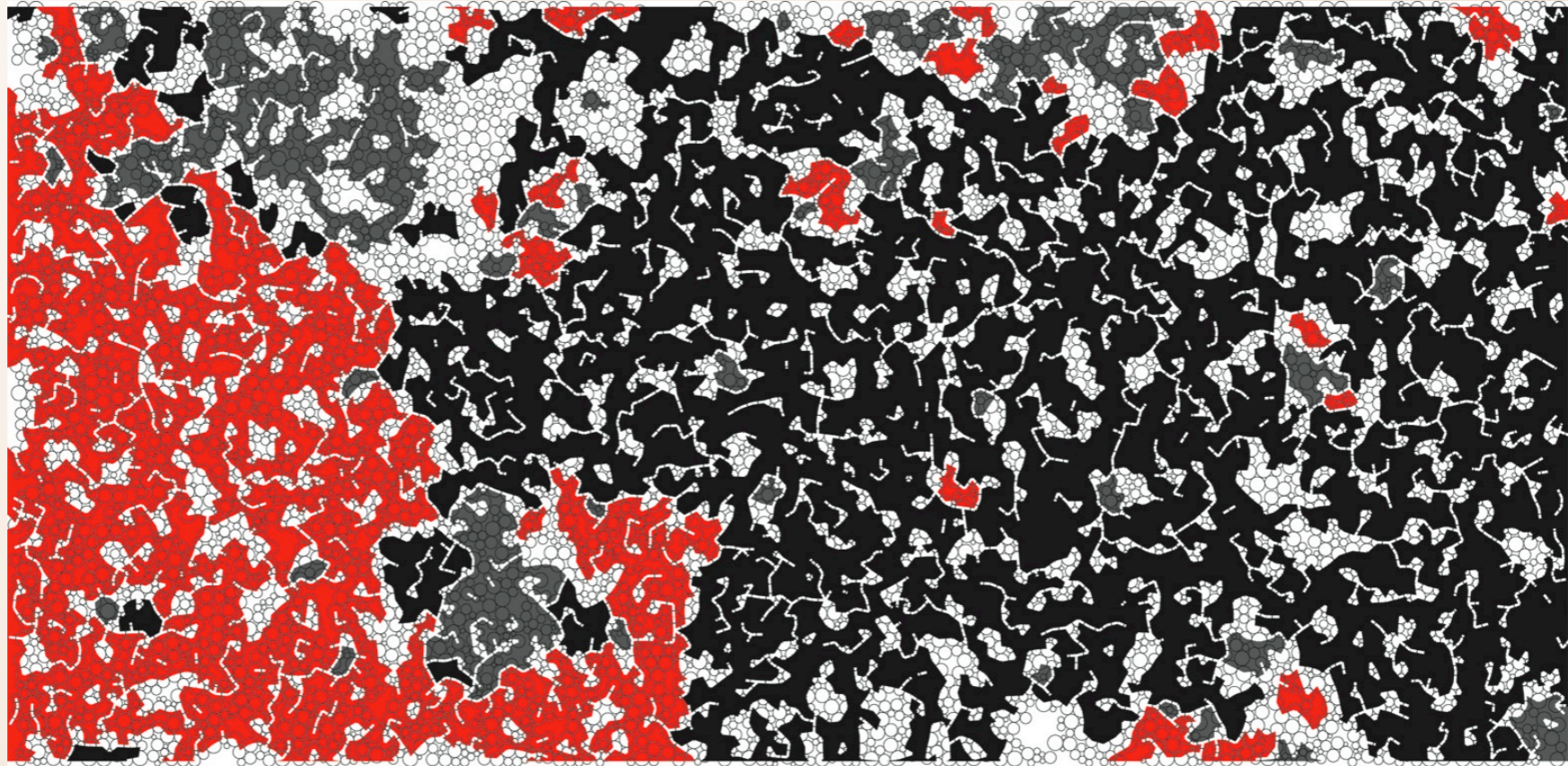
$$T = 0.75 T^{max}$$



$$T = T^{max}$$



$$T = T^{max}$$



Yielding can be explained as the percolation of the condition here called “mobility”



¡Thank you for your attention!

